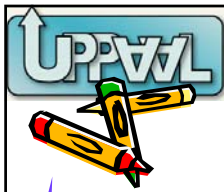


## In This Session

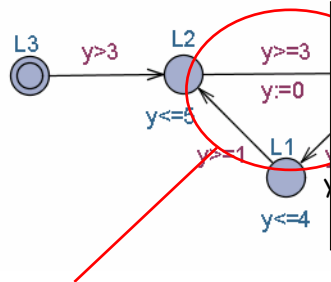
- Some patterns to use well UPPAAL
  - Clearer models
  - More efficient models
  - Avoid pitfalls
  - Common tricks

The slide includes a logo for UPPAAL in the top left corner, which consists of the word 'UPPAAL' in a stylized, blocky font with a blue and white color scheme. Below the logo are two crayons, one red and one blue. A blue squiggly line runs vertically down the left side of the slide, starting from the logo area and ending near a blue and yellow crayon at the bottom left corner.



## Accelerating Cycles Window

- **Problem:** fragmentation of symbolic states.
- **Solution:** accelerate cycles.

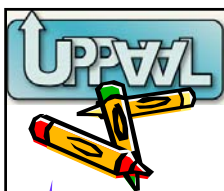


### Definition

The **WINDOW** of a cycle  $C = (e_1, e_2, \dots, e_k)$  is  $[a, b]$  iff

1. Every execution of  $C$  has accumulated delay between  $a$  and  $b$ .
2. For any delay  $d$  between  $a$  and  $b$  there exists an execution of  $C$  with accumulated delay  $d$ .

The cycle L0,L1,L2 has the window  $[3,7]$  for  $y$

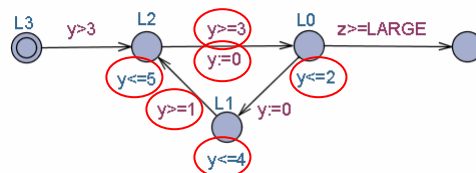


## Acceleratable Cycles

### Definition

Let  $C = (e_1, e_2, \dots, e_k)$  be a cycle and let  $y$  be a clock, then  $(C, y)$  is an **acceleratable cycle** if:

1. Every invariant of  $C$  is of the form  $y <= n$  (or true)
2. Every guard of  $C$  is of the form  $y >= m$  (or true)
3.  $y$  is reset on all ingoing edges to  $\text{src}(e_i)$



### Theorem

Every acceleratable cycle has a window.

**UPPAAL**

## Accelerated Cycles

Acceleration of cycle = "Unfolding of cycle"

**Efficiency**

If  $y$  is reset on the first edge in the accelerated cycle  $C$ , then **one** execution of the appended cycle suffices!!

**Theorem**

$3a \leq 2b \Rightarrow (M \models \phi \Leftrightarrow Acc(M, A) \models \phi)$  (w.r.t. a cycle  $A$ )

$3*3 \leq 2*7$

**UPPAAL**

## Variable Reduction

➤ **Intent:** reduce state-space by resetting unused variables to a known value (0).

- Even if a variable is meaningless in some states, its value is still part of the state.
- Mostly applicable to local variables.

**Queue**

notempty!  
len>0

empty!  
len==0

rem!  
len>=1  
len--,  
i:=0

list[len]:=el,  
len++

add?

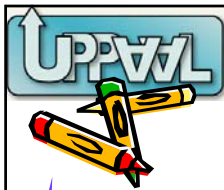
el:=list[0]  
hd?

Start

len=i  
list[i]:=0  
i:=0

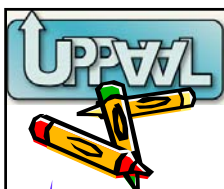
Shiftdown

i < len  
list[i]:=list[i+1],  
i++



## Atomicity

- **Intent:** to reduce the state-space by avoiding interleavings.
  - May be needed from pure modeling point of view too.
  - Useful in synchronization patterns.
  - Use **committed** locations.
  - For sequences of actions, better use C-like code.

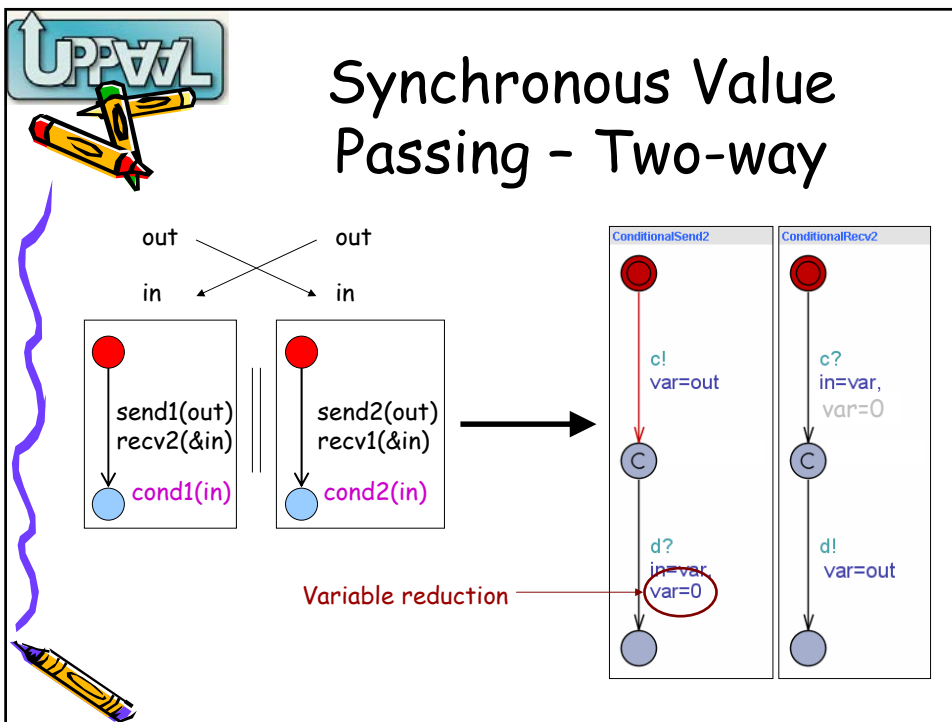
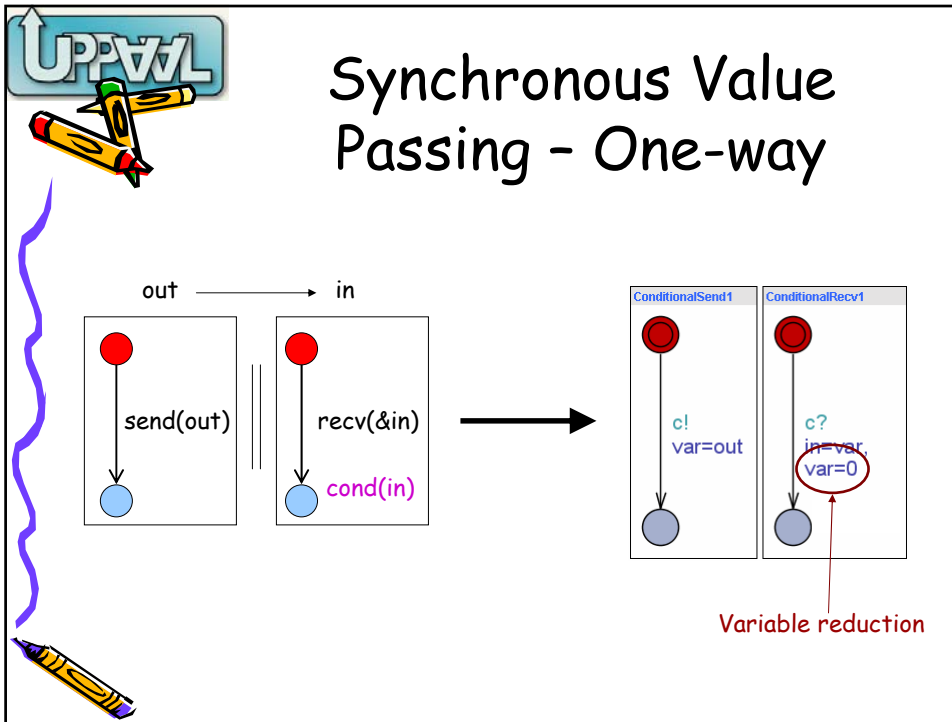


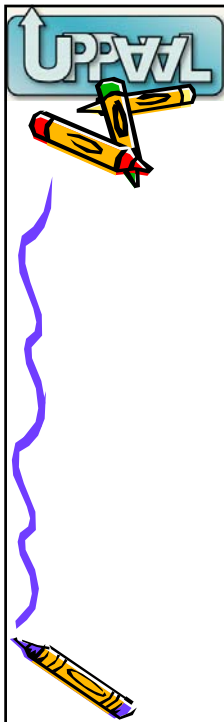
## Synchronous Value Passing

- **Intent:** send data synchronously between processes.
  - Typically between local variables.
  - Feature used: UPPAAL evaluate expressions at the sender first.
  - Different variants depending on
    - conditional/unconditional value passing,
    - one/two way value passing.

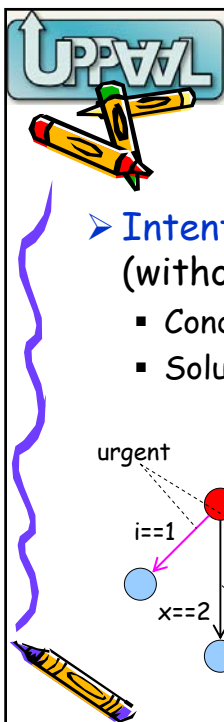
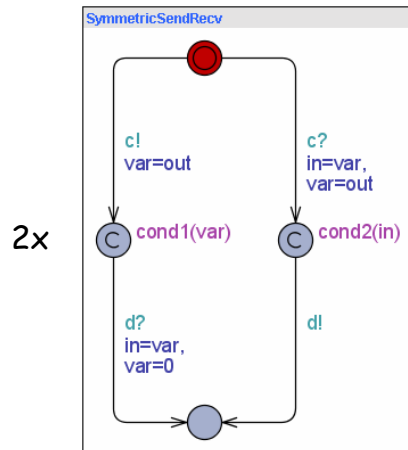
➤ **Asymmetric**





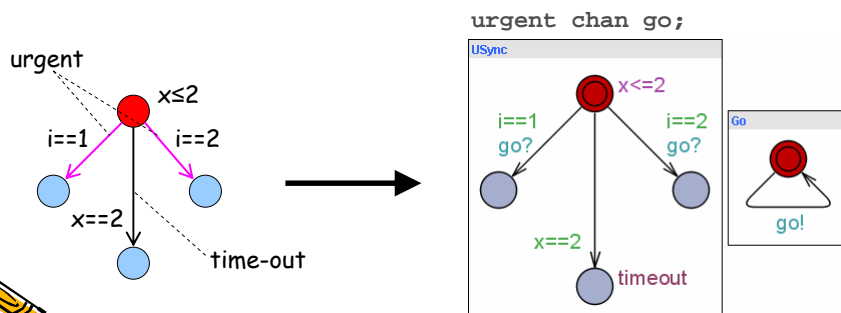


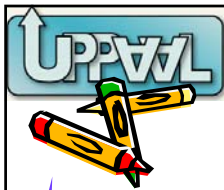
## Synchronous Value Passing - Two-way Symmetric Encoding



## Urgent Edges

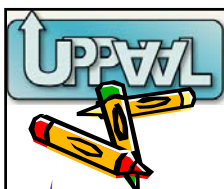
- **Intent:** take an edge as soon as it is enabled (without delay).
  - Condition on the edge, not the location.
  - Solution limit: no clock constraint (yet).





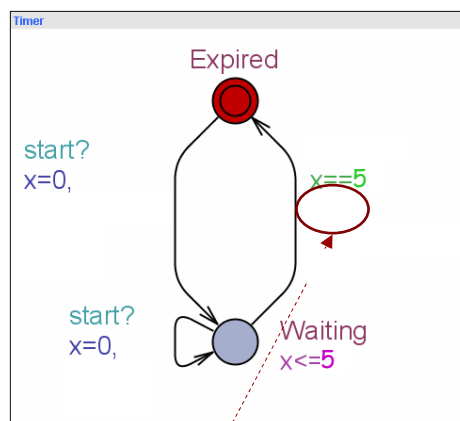
## Timers

- **Intent:** code a classical timer that emits a time-out event.
  - In principle time (in timers) decreases but in UPPAAL it only increases.
  - More natural for some models.
  - Operations:
    - start(value)
    - expired?
    - time-out event

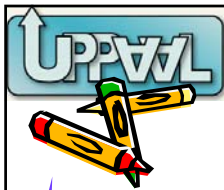


## Timers

- Basic timer:**
- (re-)start  
start!
  - expired?  
active (bool)  
active go?  
(bool+urgent chan)
  - time-out event  
timeout?



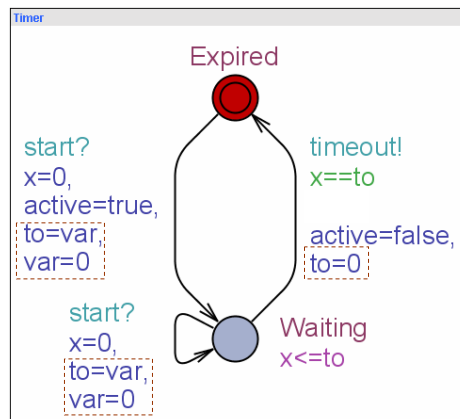
Not needed for clocks:  
Active clock reduction takes care of this.



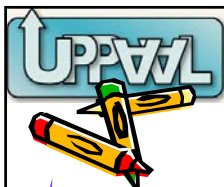
## Timers

### Parametric timer:

- (re-)start(value)  
start! var=value
- expired?  
active (bool)  
active go?  
(bool+urgent chan)
- time-out event  
timeout?



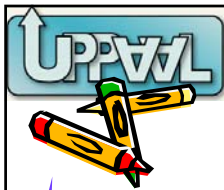
Declare 'to' with a tight range.



## Bounded Liveness

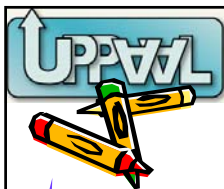
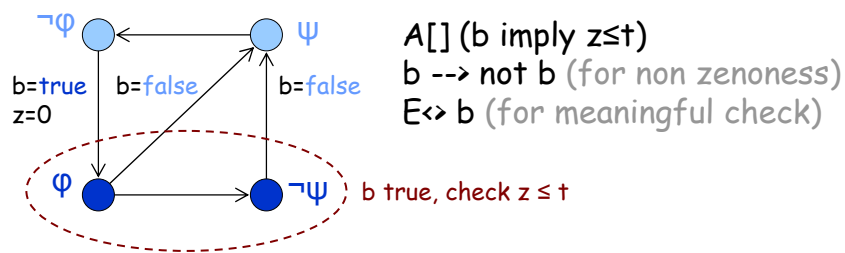
- **Intent:** Check for properties that are guaranteed to hold eventually within some upper (time) bound.
  - Provide additional information (with a valid bound).
  - More efficient verification.
  - $\phi \text{ leadsto}_{\leq t} \psi$  reduced to  $A \Box (b \Rightarrow z \leq t)$  with bool  $b$  set to *true* and clock  $z$  reset when  $\phi$  starts to hold. When  $\psi$  starts to hold, set  $b$  to *false*.





## Bounded Liveness

- The truth value of  $b$  indicates whether or not  $\psi$  should hold in the future.



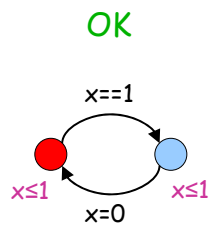
## Zenoness

- **Problem:** UPPAAL does not check for zenoness directly.
  - A model has "zeno" behavior if it can take an infinite amount of actions in finite time.
  - That is usually not a desirable behavior in practice.
  - Zeno models may wrongly conclude that some properties hold though they logically should not.
  - Rarely taken into account.
- **Solution:** Add an observer automata and check for non-zenoness, i.e., that time will always pass.

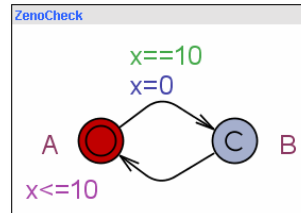




## Zenoness



Detect by  
•adding the  
observer:



Constant (10) can be anything ( $>0$ ), but choose it well w.r.t. your model for efficiency. Clocks 'x' are local.

•and check the property

`ZenoCheck.A --> ZenoCheck.B`



## Some Pitfalls

- Unbounded integers
  - Model uses the full range.
- Unsynchronized processes
  - Combinatorial explosion.
- Unused active variables specially in arrays





## Tricks

- How to copy a template?
  - Rename, save, rename to original, import.
- State predicates (bool) evaluate to 0 or 1 and can be used as integers:
  - Mutual exclusion:  
 $A[ ]P1.cs + P2.cs + P3.cs \leq 1$

